

## Background

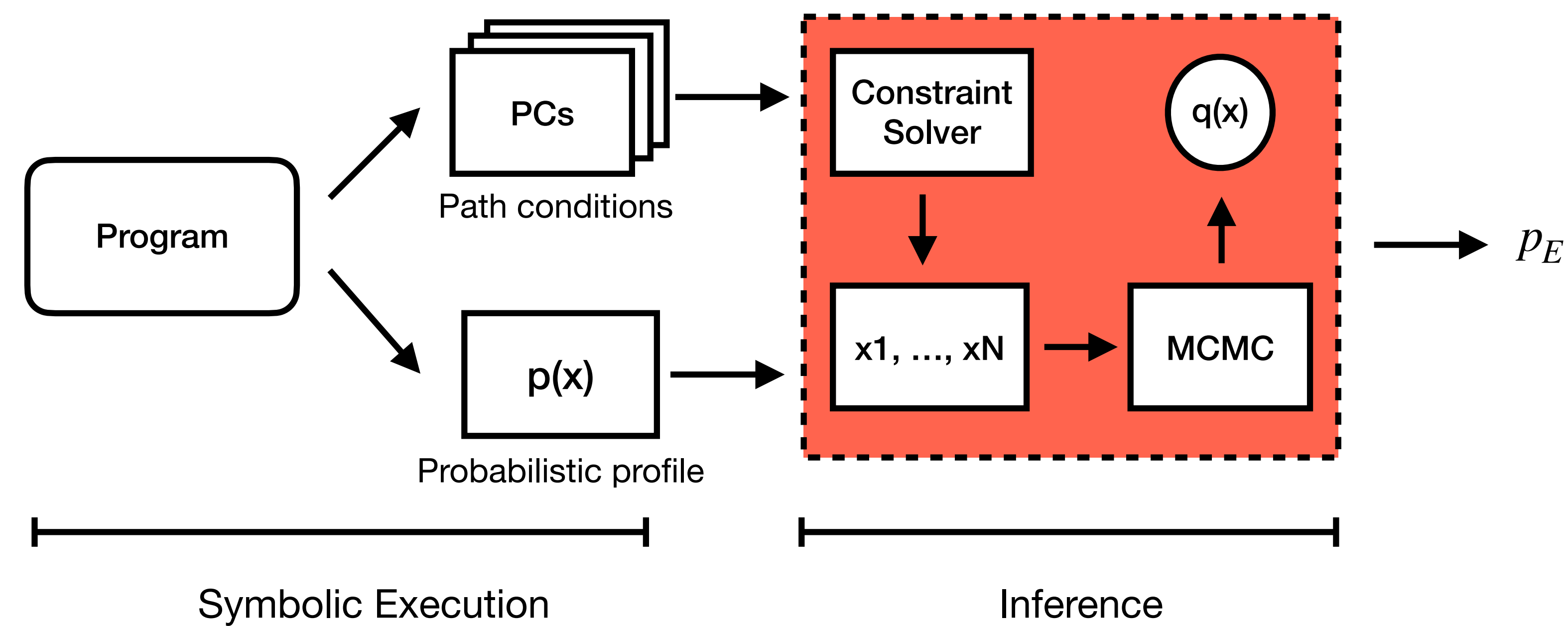


Figure: Overview of the probabilistic software analysis pipeline

- ▶ Compositional probabilistic quantification by analyzing symbolic path constraints (PC).
- ▶ individual constraints analyzed by Monte-Carlo based approaches.
- ▶ Require high-precision answers for rare events in mission-critical software; direct Monte Carlo not sample-efficient for rare events; stratified sampling (qCoral) inefficient in high dimensions.

### Listing 1 Safety controller for a flying vehicle

```
// Assumptions
altitude = Normal(10000, 100);
headFlap, tailFlap =
  Normal([0, 0],
    [[0.2, 0.1], [0.1, 0.2]]);
// Program
if (altitude <= 9000) { ...
  if (
    Math.sin(headFlap * tailFlap)
      > 0.999
  ) { callSupervisor(); } ...
} else { callSupervisor(); }
```

## References

- ▶ M. Borges, A. Filieri, M. d'Amorim, C. S. Păsăreanu, and W. Visser, "Compositional solution space quantification for probabilistic software analysis," PLDI '14, pp. 123–132, 2014.
- ▶ L. Martino, V. Elvira, D. Luengo, and J. Corander, "Layered adaptive importance sampling," *Statistics and Computing*, vol. 27, no. 3, pp. 599–623, 2017.

## Methods

- ▶ Combine symbolic execution with adaptive importance sampling.
- ▶ Use symbolic execution to identify path constraints and feasible initial solutions.
- ▶ Run PI-MAIS which uses MCMC to construct adaptive proposal distribution for importance sampling.

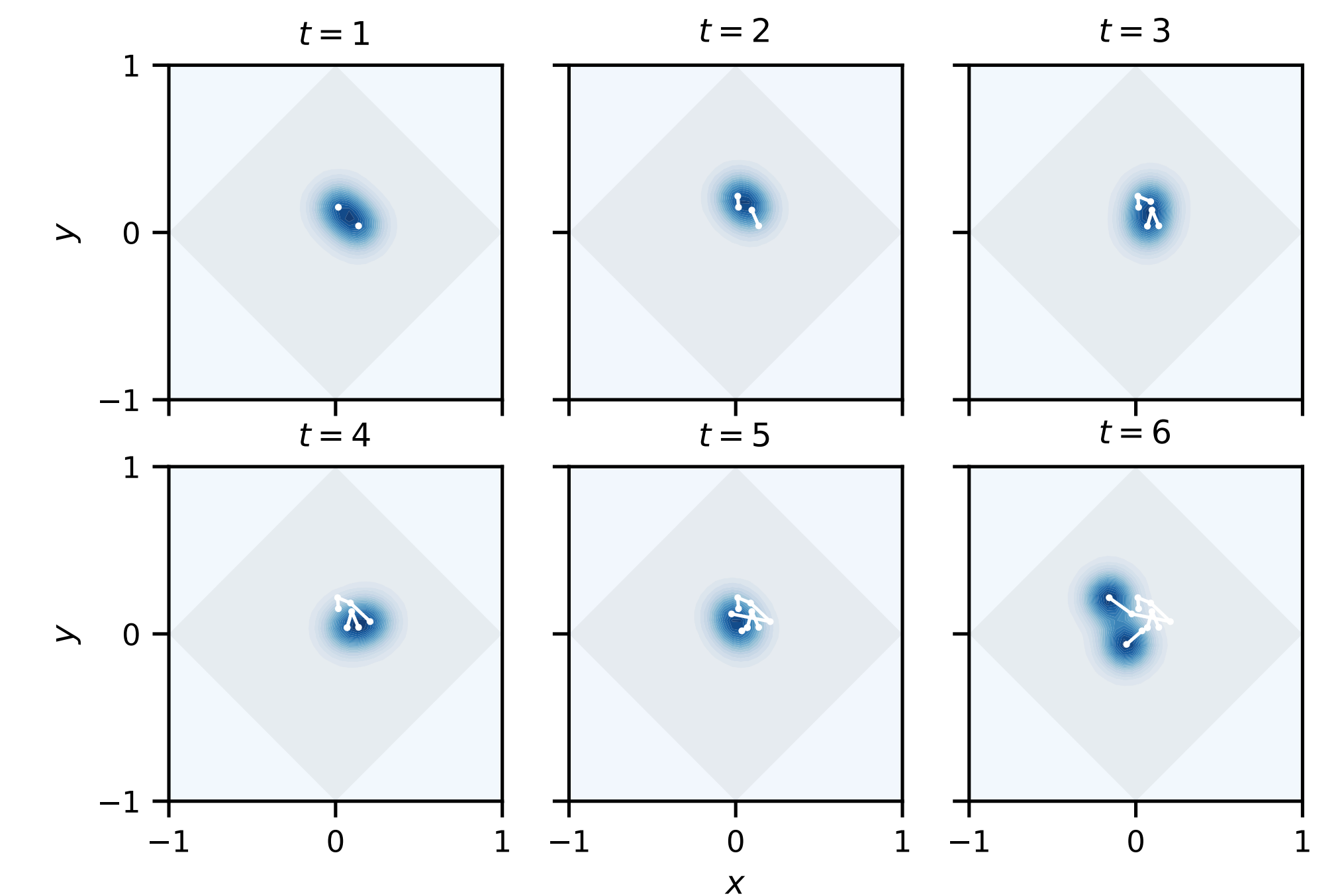


Figure: Graphical illustration of the SYMPAIS algorithm

## Results

- ▶ Quantify the probability that samples drawn from  $p(x) = \mathcal{N}(\mathbf{0}, \mathbf{1})$  are in the interior of a sphere, i.e.,  $\|x - \mathbf{1}\|^2 \leq 1$ .
- ▶ SYMPAIS achieves similar performance for  $d \geq 5$  and is orders-of-magnitude more efficient for  $d \geq 8$ .

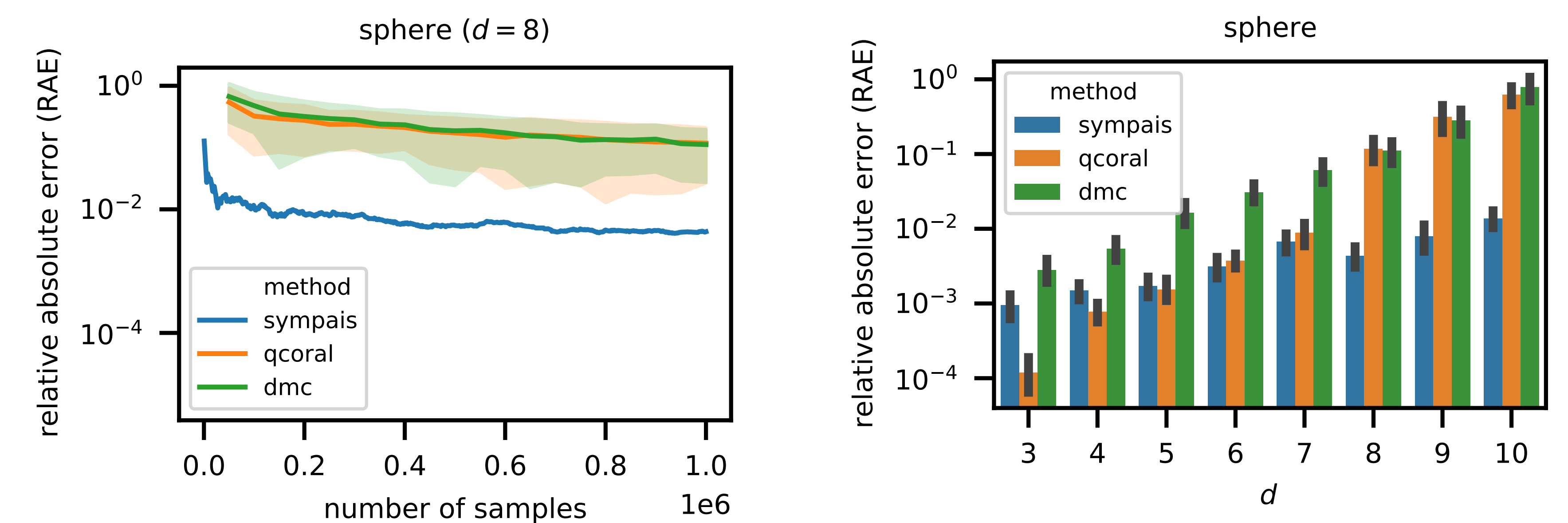


Figure: Performance comparison between SYMPAIS and other algorithms on the sphere task.